

**Name** \_\_\_\_\_

$$y = mx + b$$

1. The independent variable,  $x$ , represents \_\_\_\_\_  
Units \_\_\_\_\_
- The dependent variable,  $y$ , represents \_\_\_\_\_  
Units \_\_\_\_\_

2. Trace on your scatterplot to find two points that best represent the data. These points are:
- ( \_\_\_\_\_ , \_\_\_\_\_ ) and ( \_\_\_\_\_ , \_\_\_\_\_ )
3. Use these points to find the **slope** of the line and then the **equation** of the line. Decimals are OK for slope and y-intercept. Show your work.

Slope: \_\_\_\_\_ (Fraction)  
 \_\_\_\_\_ (Decimal)

Equation:  $y =$  \_\_\_\_\_  $x +$  \_\_\_\_\_

4. Put the decimal form of the equation of the line into Y1 of your graphing calculator and graph it to see if it is a good representation of the data. If it is not, find your mistake and change it!

5. Rewrite the decimal form of the equation using **names of variables** instead of **x** and **y**.

[illegible]

- 6. The slope of the line represents something very important to the problem. What does the slope represent?**

7. The **y-intercept** also represents something important to the problem. What does the **y-intercept** represent?

## 8. Additional Questions:

According to your model/equation,

1. How far should the person be from the motion detector after walking for 1.5 seconds? Show the calculations necessary to answer this question.

After 1.5 seconds the person was \_\_\_\_\_ feet from the motion detector.

Trace on the scatterplot to see how close your prediction was.

2. How long was the person walking until he/she was 4 feet from the motion detector? Show the calculations necessary to answer this question.

The walker was 4 feet from the motion detector after \_\_\_\_\_ seconds.

Trace on the scatterplot to see how close your prediction was.

3. How long would it take for the walker to hit the motion detector? Show the calculations necessary to answer this question.

The walker would hit the motion detector after \_\_\_\_\_ seconds.

4. What effect would it have on the graph and the equation if the person was walking toward the motion detector at a **faster rate**?

The graph would be \_\_\_\_\_ and the equation \_\_\_\_\_

5. What effect would it have on the graph and the equation if the person was walking away from the motion detector, instead of toward it?

The graph would be \_\_\_\_\_ and the equation \_\_\_\_\_